



# Learning Inference Models for Computer Vision

Varun Jampani PhD Thesis Presentation, May 2<sup>nd</sup> 2017 MPI for Intelligent Systems and University of Tübingen, Germany

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# Three Components of a Vision System

### 1. Model

Model Definition of Input-Output relationship

### 2. Learning

Model Learning of parameters/structure

### 3. Inference

Model Inference for a given observation

# **Thesis Objective**

# This thesis proposes techniques for better inference in a range of computer vision models.

### 3. Inference

Model Inference for a given observation

# **Two Classes of Vision Models**

### **Generative Models**

- Models image formation process (likelihood and/or prior):  $P(\mathbf{x}|\mathbf{y}, \theta)P(\mathbf{y})$
- Prior knowledge and quantified uncertainty
- Examples: Graphics systems, probabilistic graphical models etc.

### **Discriminative Models**

- Directly models posterior distribution:  $P(\mathbf{y}|\mathbf{x}, \theta)$
- Fast and learned from data
- Examples: Random forests, CNNs etc.

### **Part 1: Inference in Generative Computer Vision Models**

# **Better Inference in Generative Vision Models**

Inference in *inverse graphics* and *probabilistic graphical models*.



[CVIU'15]. Jampani, V., Nowozin, S., Loper, M., & Gehler, P. V. The informed sampler: A discriminative approach to Bayesian inference in generative computer vision models. *CVIU*, 2015.

[AISTATS'15]. Jampani, V., Eslami, S. M., Tarlow, D., Kohli, P., & Winn, J. Consensus Message Passing for Layered Graphical Models. In AISTATS, 2015.

### **Informed Sampler**

for inverting graphics engines

# Vision as Inverse Graphics

Vision can be tackled as inverting graphic engines Modern graphic engines produce stunning level of realism









Sample Renderings from Modern Graphics Engines

### An Example Inverse Graphics Problem



Goal: Inverse graphics with *making use of* graphics renderer

# Inference in Inverse Graphics Models

Markov Chain Monte Carlo (MCMC) sampling to estimate the posterior distribution

1. Sample parameters  $\longrightarrow$  2. Render  $\longrightarrow$  3. Compare and accept/reject parameters  $\longrightarrow$  Repeat 1-3 General MCMC Algorithm [1]:

At each step in Markov chain

1. Propose next sample using a *proposal distribution* 

 $\bar{\mathbf{y}} \sim T(\cdot | \mathbf{y}_t)$ 

2. Accept or reject it based on Metropolis Hastings (MH) acceptance rule

$$\mathbf{y}_{t+1} = \begin{cases} \bar{\mathbf{y}}, & \operatorname{rand}(0,1) < \min\left(1, \frac{\pi(\bar{\mathbf{y}})T(\bar{\mathbf{y}} \to \mathbf{y}_t)}{\pi(\mathbf{y}_t)T(\mathbf{y}_t \to \bar{\mathbf{y}})}\right), \\ \mathbf{y}_t, & \text{otherwise.} & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & &$$

Illustration of MCMC Sampling for a 2D Gaussian distribution

MCMC sampling is *generic* but is often too slow and fail to converge.

# **Informed Sampler** [CVIU'15]

Mixture Sampling:

 $T_{\alpha}(\cdot|\mathbf{x},\mathbf{y}_{t}) = \alpha T_{L}(\cdot|\mathbf{y}_{t}) + (1-\alpha) T_{G}(\cdot|\mathbf{x}).$ 

Learn global proposal distribution  $T_G$  using discriminative approaches.

We experimented with random forest and clustering techniques.



(blue) and global (green) proposal distributions

## Experiments

Room Renderer



**Camera Localization** 

### Graphics



**Occlusion Reasoning** 



### **Inverse Graphics**

### **Observations**

**Higher acceptance rates** and **faster convergence** for informed sampler in comparison to wide range of baseline samplers.



Results of experiments on Camera Localization.

MH: Metropolis Hastings, PT: Parallel Tempering, REG-MH: Regenerative-MH, INF-INDMH: Informed Global Sampling, INF-MH: Informed Sampler

### Quantified Uncertainties with Inverse Graphics



An example result of 3D shape estimation using Informed Sampler

# Remarks: Informed Sampler [CVIU'15]

Most existing sampling methods *fail* when dealing with complex multi-modal distributions

Informed Sampler consistently improved over existing samplers

- Global proposals helps in quick mixing
- Local proposals helps in higher acceptance rate

Inverse graphics can

- yield accurate solutions even with incomplete evidence
- give quantified uncertainties

### **Consensus Message Passing**

for layered graphical models



Task:

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### Results with Variational Message Passing [1]



# Consensus Message Passing [AISTATS'15]





Consensus message predictors in multiple model layers

Random forest regression

### A Visual Result



# Reflectance Visual results – For different subjects



1. Winn, J. and Bishop, C.M., Variational message passing. *Journal of Machine Learning Research*, 2005.

2. Biswas, S., Aggarwal, G. and Chellappa, R., Robust estimation of albedo for illumination-invariant matching and shape recovery. PAMI, 2009.

### Remarks: Consensus Message Passing [AISTATS'15]

CMP helps message passing converge to better solutions.

Demonstrated using 3 different layered graphical models.

Can be seen as a good trade-off between factored and joint models.



**Part 2: Inference in Discriminative Computer Vision Models** 

# Convolutional Neural Networks (CNN)

Spatial convolutions form the building block of most CNN architectures

Perhaps the simplest, fastest and most used way of propagating information across pixels



# **Spatial Filter**





Gauss filter  $e^{-rac{1}{2\sigma^2}||\mathbf{p}_i-\mathbf{p}_j||^2}$ 



After Gaussian Filtering (smoothes image)

Filter values depends on position offset with respect to the center



### Goal: To equip neural networks with richer class of filters

### **Bilateral Filter**

Generalization of spatial convolution to arbitrary features [1, 2]

$$\mathbf{v}'_i = \sum_{j \in \mathcal{N}} W(\mathbf{p}_i - \mathbf{p}_j) \mathbf{v}_j \longrightarrow \mathbf{v}'_i = \sum_{j \in \mathcal{N}} W(\mathbf{f}_i - \mathbf{f}_j) \mathbf{v}_j$$

**Spatial Filtering** 

**Bilateral Filtering** 

Position and color features :  $\mathbf{f} = (x, y, r, g, b)^{\top}$ 

Gaussian Kernel: 
$$\mathbf{v}'_i = \sum_{j \in \mathcal{N}} e^{-\frac{1}{2\sigma^2} ||\mathbf{f}_i - \mathbf{f}_j||^2} \mathbf{v}_j$$

1. Aurich, V., & Weule, J. Non-linear gaussian filters performing edge preserving diffusion. In *Mustererkennung*, 1995.

2. Tomasi, C., & Manduchi, R. Bilateral filtering for gray and color images. In ICCV, 1998.

### Bilateral Filter Depends on the Image Content



Visualization of bilateral filters at different input locations



After bilateral filtering (preserves edges)

Computationally expensive!

# High dimensional linear approximation

Convolution in high-dimensional feature space [1]



# Using the permutohedral lattice [1]



All the existing works use *hand-designed* filter weights (mostly, Gaussian)!

1. Adams, A., Baek, J., & Davis, M. A. Fast High–Dimensional Filtering Using the Permutohedral Lattice. In Computer Graphics Forum, 2010.

### Learning Bilateral Filters [CVPR'16, ICLR Workshop'15]

Parameterize the filter instead of using Gaussian

Splat Convolve Slice

 $\mathbf{v}' = S_{slice} W S_{splat} \mathbf{v}$ 

Back-propagate through linear operations of splat, convolve and slice

Can be easily integrated into any existing deep learning architectures.

<sup>[</sup>CVPR'16]. Jampani, V., Kiefel, M., & Gehler, P. V. Learning Sparse High Dimensional Filters: Image Filtering, Dense CRFs and Bilateral Neural Networks. *In CVPR*, 2016. [ICLR Workshop'15]. Kiefel, M., Jampani, V., & Gehler, P. V. Permutohedral Lattice CNNs. *In ICLR Workshop*, 2015.

### Contributions [CVPR'16, ICLR Workshop'15]

1. Learn problem specific bilateral filters

2. Generalize CNNs to Bilateral Neural Networks (BNN)

3. Generalize Dense CRFs (fully-connected Conditional Random Fields)

### **Learning Problem Specific Bilateral Filters**

# Applications of bilateral filter

Many vision, graphics and image processing applications [1]

We studied the use of filter learning [CVPR'16] in following applications:

- Joint bilateral upsampling [2]
- Image denoising [3]
- 3D mesh denoising [4,5]



3D mesh denoising using learned bilateral filtering, with normals as features

[CVPR'16]. Jampani, V., Kiefel, M., & Gehler, P. V. Learning Sparse High Dimensional Filters: Image Filtering, Dense CRFs and Bilateral Neural Networks. *In CVPR*, 2016.
1. Paris, S., Kornprobst, P., Tumblin, J., & Durand, F. Bilateral filtering: Theory and applications. *Now Publishers Inc.*, 2009.
2. Kopf, J., Cohen, M. F., Lischinski, D., & Uyttendaele, M. Joint bilateral upsampling. *ACM Transactions on Graphics (TOG)*, 2007.
3. Tomasi, C., & Manduchi, R. Bilateral filtering for gray and color images. In *ICCV*, 1998.
4. Fleishman, S., Drori, I., & Cohen-Or, D. Bilateral mesh denoising. In *ACM Transactions on Graphics (TOG)*, 2003.
5. Jones, T. R., Durand, F., & Desbrun, M. Non-iterative, feature-preserving mesh smoothing. In *ACM Transactions on Graphics (TOG)* 2003.

### **Observations**

Consistent improvement of learned bilateral filter w.r.t. Gaussian filter.

An example depth upsampling result:



CNN depth [1] (bicubic interpolated)

Gauss bilateral upsampling

Learnt bilateral upsampling (Ours)

### **Bilateral Neural Networks**

### Bilateral neural networks [CVPR'16, ICLR Workshop'15]

Learning bilateral filters allows the use of stacked filters

**BNN**: Bilateral Neural Network

Advantages of BNNs over CNNs:

- Image adaptive Filtering
- Filtering unordered set of points (e.g., sparse 3D points)
- Input and Output points can be different



Bilateral filter bank



[CVPR'16]. Jampani, V., Kiefel, M., & Gehler, P. V. Learning Sparse High Dimensional Filters: Image Filtering, Dense CRFs and Bilateral Neural Networks. *In CVPR*, 2016. [ICLR Workshop'15]. Kiefel, M., Jampani, V., & Gehler, P. V. Permutohedral Lattice CNNs. *In ICLR Workshop*, 2015.

# Application: Video Propagation

How can we propagate information across video frames?

E.g.: Video Object Segmentation



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# Video Propagation with Bilateral Filters [CVPR'17]

Splat *previous* frame results, convolve and slice at the *present* frame.

Bilateral feature space with time:  $\mathbf{f} = (x, y, r, g, b, t)^{\top}$ 



**Bilateral Convolution Layer (BCL)** 

# Overview of Video Propagation Networks [CVPR'17]

End-to-end trained fast neural network with video-adaptive receptive fields







**Generalize Dense CRFs** 

# Dense CRFs (review)

Every pixel is connected to every other pixel via pairwise terms [1]

$$p(x|v) \propto \exp\left(-\sum_{i} \psi_u(x_i) - \sum_{i>j} \psi_p(x_i, x_j)
ight)$$
  
Unary Pairwise

Many applications in vision: segmentation [1], optical flow [2], intrinsic images [3] etc.

Krähenbühl, P., & Koltun, V. Efficient Inference in Fully Connected CRFs with Gaussian Edge Potentials. In *NIPS*, 2011.
 Sun, D., Wulff, J., Sudderth, E. B., Pfister, H., & Black, M. J. A fully-connected layered model of foreground and background flow. In *CVPR*, 2013.
 Bell, S., Bala, K., & Snavely, N. Intrinsic images in the wild. *ACM Transactions on Graphics (TOG)*, 2014.

### Learning Pairwise Potentials

Mean-field updates can be computed using bilateral filter [1]:



*Learning* bilateral filters  $\rightarrow$  *Learning* pairwise potentials (learned CRF)

1. Krähenbühl, P., & Koltun, V. Efficient Inference in Fully Connected CRFs with Gaussian Edge Potentials. In NIPS, 2011 (pp. 109-117).

# Segmentation results with learned CRF [CVPR'16]

### Experiments on Semantic segmentation and Material segmentation

Average IoU Scores for Semantic Segmentation [2]

Average pixel accuracy for Material Segmentation [3]

eeplab [1] (72.1 / 67.0) 1-step MF 2-step MF /00:		loose 2-step MF		AlexNet (67.2)	1-step MF 2-step MF		loose 2-step MF		
Gauss CRF	+2.5	+3.4	+3.4 / +3.0		Gauss CRF	+7.9	+9.7	+9.7	
Learned CRF (Ours)	+3.0	+3.7	+3.9 / +3.4		Learned CRF (Ours)	+9.5	+11.9	+11.9	
input	Gre	ound Truth	Deepla	ab CNN	result +	2-stepMF Ga	auss CRF	+ 2-step MF /ea (Ours)	rned CRF

[CVPR'16]. Jampani, V., Kiefel, M., & Gehler, P. V. Learning Sparse High Dimensional Filters: Image Filtering, Dense CRFs and Bilateral Neural Networks. *In CVPR*, 2016. 1. Chen, L. C., Papandreou, G., Kokkinos, I., Murphy, K., & Yuille, A. L. Semantic image segmentation with deep convolutional nets and fully connected CRFs. In *ICLR*, 2015. 2. Everingham, M., Van Gool, L., Williams, C. K., Winn, J., & Zisserman, A. The Pascal visual object classes (VOC) challenge. IJCV, 2010, *88*(2), 303-338. 3. Bell, S., Upchurch, P., Snavely, N. and Bala, K., Material recognition in the wild with the materials in context database. In *CVPR*, 2015.

### Dense CRFs are good but time taking.

Can we do **dense information propagation** inside CNN itself?

# Bilateral Inception Module [ECCV'16]

Bilateral filtering intermediate CNN representations with different feature scales

Long-range information propagation between CNN units

Faster and better compared to DenseCRF



Schematic of bilateral inception module

### Visual results





### Remarks

Bilateral filters provide simple yet rich framework for information propagation

Learning bilateral filters with several contributions [ICLR Workshops'15, CVPR'16, CVPR'17]

- → Problem specific filters can be learned
- → Edge-aware CNNs: Bilateral neural networks
- → Generalize the dense CRF to **non-Gaussian pairwise potentials**

Dense information propagation inside CNNs (bilateral inception modules) [ECCV'16]

Wide range of applications in vision and graphics

[ICLR Workshop'15]. Kiefel, M., Jampani, V., & Gehler, P. V. Permutohedral Lattice CNNs. *In ICLR Workshop*, 2015.
 [CVPR'16]. Jampani, V., Kiefel, M., & Gehler, P. V. Learning Sparse High Dimensional Filters: Image Filtering, Dense CRFs and Bilateral Neural Networks. *In CVPR*, 2016.
 [CVPR'17]. Jampani, V., Gadde, R. and Gehler, P.V., Video Propagation Networks. In *CVPR*, 2017.
 [ECCV'16]. Gadde, R., Jampani, V., Kiefel, M., Kappler, D. and Gehler, P.V., Superpixel convolutional networks using bilateral inceptions. In *ECCV*, 2016 (*pp. 597-613*).

# **Conclusion and Future Work**

Generative and discriminative approaches for vision

Informed sampler and Consensus message passing for inference in generative models Learning bilateral filters help in bringing prior knowledge *into* CNNs

Future outlook:

- → How to bring more prior knowledge into CNNs while maintaining fast runtime?
- → Bridging the gap between generative and discriminative models

### **Publications**

Thesis related publications:

- Jampani, V., Nowozin, S., Loper, M., & Gehler, P. V. The informed sampler: A discriminative approach to Bayesian inference in generative computer vision models. *CVIU*, 2015.
- Jampani, V., Eslami, S. M., Tarlow, D., Kohli, P., & Winn, J. Consensus Message Passing for Layered Graphical Models. In AISTATS, 2015.
- Kiefel, M., Jampani, V., & Gehler, P. V. Permutohedral Lattice CNNs. In ICLR Workshop, 2015.
- Jampani, V., Kiefel, M., & Gehler, P. V. Learning Sparse High Dimensional Filters: Image Filtering, Dense CRFs and Bilateral Neural Networks. In CVPR, 2016.
- Gadde, R., Jampani, V., Kiefel, M., Kappler, D. and Gehler, P.V., Superpixel convolutional networks using bilateral inceptions. In *ECCV*, 2016.
- Jampani, V., Gadde, R. and Gehler, P.V., Video Propagation Networks. In CVPR, 2017.

### Others:

- Jampani, V., Gadde, R. and Gehler, P.V., Efficient Facade Segmentation Using Auto-Context. In WACV, 2015.
- Sevilla-Lara, L., Sun, D., Jampani, V. and Black, M.J., Optical flow with semantic segmentation and localized layers. In CVPR, 2016.
- Gadde, R., Jampani, V., Marlet, R. and Gehler, P.V., Efficient 2D and 3D Facade Segmentation using Auto-Context. PAMI, 2017.